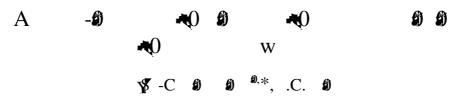


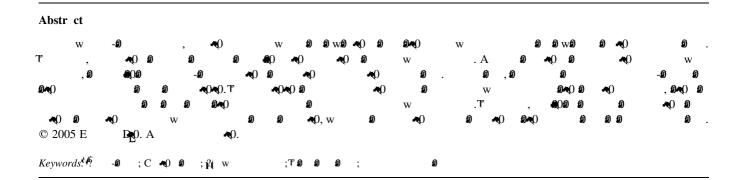
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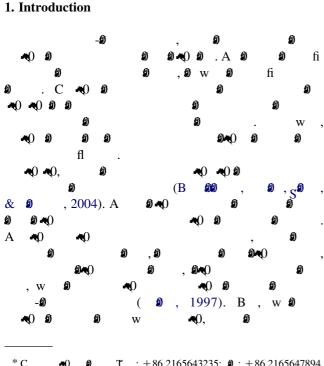
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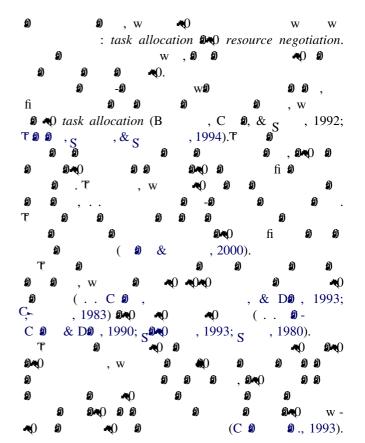


[®]Department of Computing & Information Technology, Centre of Networking and Information Engineering, Fudan University, Room 409, Yifu Building, Shanghai 200433, China Hunan Branch, China United Telecommunications Corporation, Changsha 410001, China



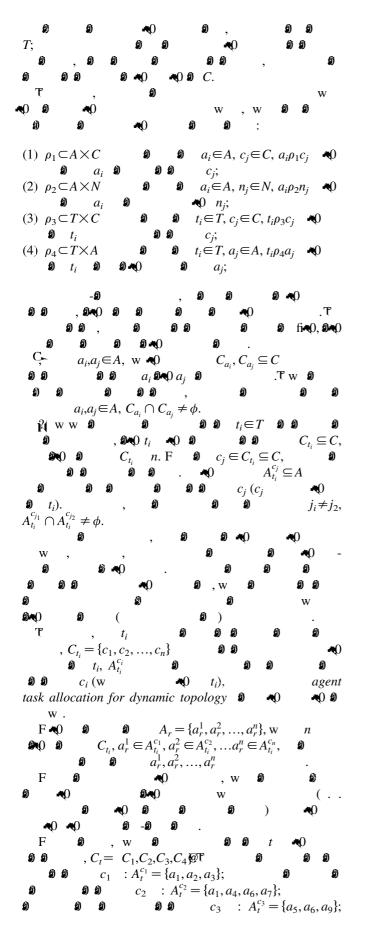






Ţ 1998). 🕠 \mathbf{S} **9.**(0 , 1980). (2000), w Ð (E , 2004).T $network\ topology\ dynamics.$ •0 W **9.**0 fl

fl **3 3** w





2.2. Task allocation algorithm

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                                                                                         3.
                                                                                                         3, an 0
Algorithm 1.T 9 -9 9
                              ( 3 : t).
                                                                                                        AN, n = 0
   s 1.Ç-
                              9 9
                                                                                                     Ν.
         9 - 9 9
                                         TC, w
     \bullet 0 0 C = c_1, c_2, ... c_n
        2. F 3 c_j \in C:
                                                                Algorithm 3.
                                                                                        (2)
                                                                                                   A).
        A_{j}
                                          9 9
                                                   c_i
       - 🗿 🗿
                                                                        /*n 10
                                                                                                              A, n_2
                                   AC, w
\mathbf{0}: A_j = \{a_i^1, a_i^2, ..., a_i^{k_j}\},  w
                               k = 0
                                                                                          W
                                                                                         =0;
                                                                                                     =0; \xi - \eta_1 = 0
        9 9
                                                                         i=1; i<=n_1; i++
                 \overline{a_1}
                         A_1, \overline{a_2}
                                     A_2, \ldots, \overline{a_n}
                                                     A_n,
                             •0 9
                                                                           (j=1; j < 2; j++)
                                                                          an_{ij}=1 \xi(i)=j;
                            AN 👀
                                                                     3
                                                                           (i=1; i < =
                                                                                                  ; i++)
                                                                S
                                                                           (j=1; j < =
                                                                                                   ; j++)
\{ \underline{S}_{\overline{a_1}}, \underline{a_2}, \dots, \underline{a_n} \}. \quad \text{if } w
                                                                                                       . + n_{\xi(i)\xi(j)};
                                                                     4
                                                                                                  );
                                                                S
          1, S
                                                                   F
                                                                                        2, w
                                                                                                         O(k_1 * k_2 *, ..., * k_n).
                                                                                           , w
                                                                Ŧ
constraint satisfaction problem (CSP) ( . .
                                              3, 1992;
 X_i, X = A_1 \times A_2 \times ... \times A_n (A_j) 
                                                                        C = 0
                           c_i). D_ A
                                                                   , A ◄0
                  9 1 0 1 0
                                                                                C.
                                                                                                   4, w
A = \{A_1, A_2, ..., A_n\}, \quad \forall j \in [1, n], \overline{a_i^j} \in A_j,
                                                                Algorithm 4.
                                                                                     *0 9
            , w \bullet 0 fi\bullet 0 X_i,
                                      \forall (X_j \in X, j \neq i),
                                                                     1 D
                                                                                 9 🖜 9
                                                                     2 \text{ F} 3 3 a<sub>k</sub>
                                                                                                A, container_k = 0;
                                                                S
                                                                     🖚 n 🐧 🐧
                             , 340 3 k<sub>1</sub> 3
                                                                S
             c_1, A_1 = \{a_1^{i_1} | 1 \le i_1 \le k_1\}; k_2
                                                                                          a_i 3 3 i
 a b a c_2, A_2 = \{a_2^{i_2} | 1 \le i_2 \le k_2\}; \dots b a b
                                                                                             container_i + +;
                                                                                ac_{ii}=1,
                                                                     4 S agent<sub>r</sub>.
  S
                                                                      5 \text{ D}_{C} \text{Cr} =
                                                                                            9 9
                                                                                                         agent, b;
                                                                S
Algorithm 2. A
                                                                        C = C - C;
                                                                        A = A - \emptyset
S
                                                                            9 •() 9
                                                                                           \cup 3 ;
                                                                                    2 5, C
           (i_1=1; i_1<=k_1; i_1++)
                                                                S
S
                                                                               (i_2=1; i_2<=k_2; i_2++)
                 (i_n=1; i_n<=; i_n++) \ (a_1^{i_1}, a_2^{i_2}, ..., a_n^{i_n}) < 
                                   (a_1^{i_1}, a_2^{i_2}, ...,
                                  =\{a_1^{i_1}, a_2^{i_2}, ..., a_n^{i_n}\}
```

3

S

);

3. Resource negoti tion for dyn mic topology networks

$$R_i = \{ \langle r_{i1}, t_1 \rangle, \langle r_{i2}, t_2 \rangle, ..., \langle r_{ik}, \phi \rangle \}$$

(1)
$$\rho_5 \subset A \times R$$
 3 a $a_i \in A, r_j \in R, a_i \rho_5 r_j$ **4**0 **a** r_i ;

(2)
$$\rho_6 \subset A \times R$$
a

$$t_i \in T, r_j \in R, t_i \rho_7 r_j \quad \blacktriangleleft 0$$

$$t_i \qquad r_j;$$

Definition 6. A
$$ar_{ij} = 140$$
 $ar_{ij} = 140$ $ar_{ij} =$

Algorithm 5. A i).

S

(1)
$$A_r = \phi$$
; $R'' = \phi$;

(2) F A,
$$a_n \in A$$
 a_n ; $a_n \in A = A - \{a_n\};$

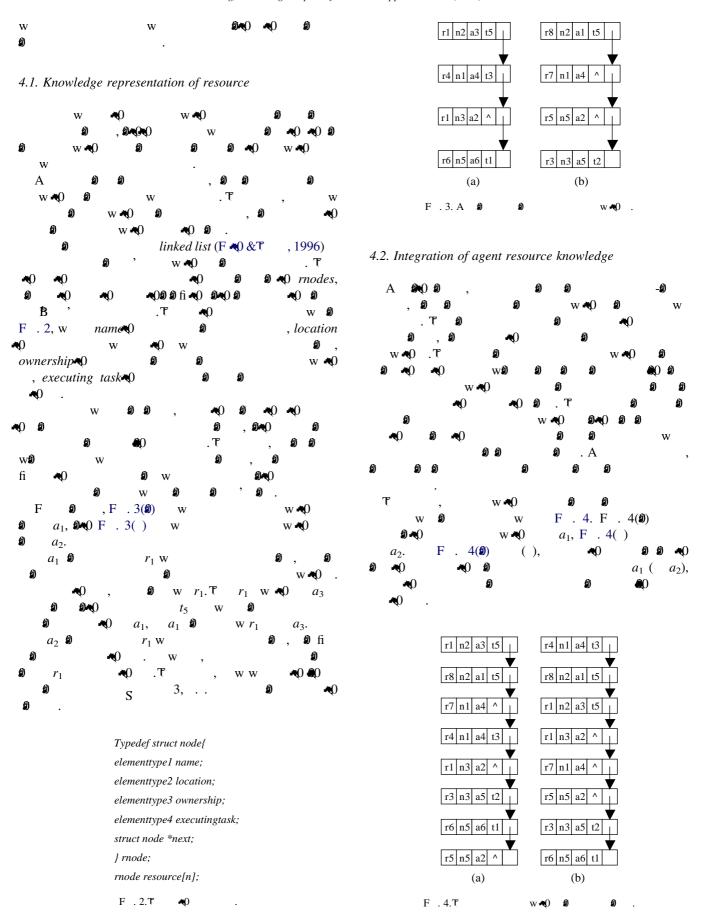
$$A_r = A_r \cup \{a_n\};$$

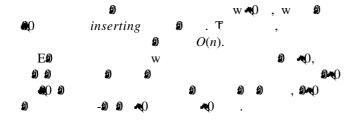
$$R'' = R'' \cup R_l @$$

$$(3) \quad R'' \supseteq R \qquad \text{and} \qquad A_r;$$

$$2).$$

, w a_n Then, r4216t agent

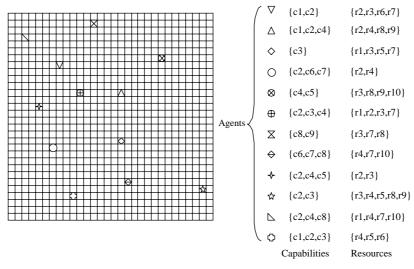




5. C se studies nd perform nce n lyses

5.1. A case

5.2. Task allocation



F . 5. A 9 40 9

 r_1 ,

(6), w

 $r_2, r_4, r_7, r_8, r_9,$

450

 a_4, a_7, a_9

480

 a_2, a_5, a_8

5.3. Resource negotiation

F

(7), w

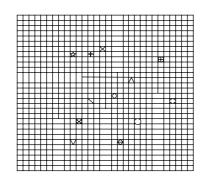
 $r_2, r_3, r_5, r_6, r_7, r_8, r_9, r_{10}$

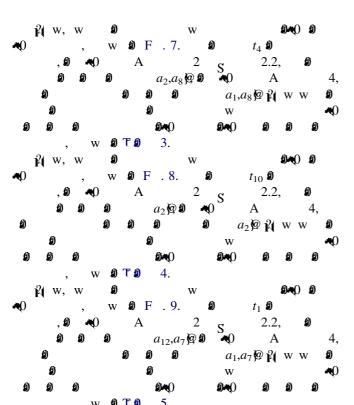
 a_2 **3.** 0 a_8

W

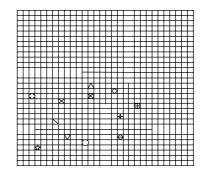
$$d(\ddot{A}, a_j) = \underset{a_i \in \ddot{A}}{[d(a_i, a_j)]} \tag{9}$$

T 0 3				
9	9 9	4 0 (3)	(3)	
S	С	S	С	
a ₂ ,a ₈ @	150	a ₂ ,a ₄ ,a ₁₁ @	2 7 0	
a_1, a_8	190	a_1, a_4, a_8	3₹0	
a_{12}, a_{8}	240	a_1, a_4, a_7	610	
a_2, a_4, a_8	3 5 0	a_1, a_4, a_{11}	410	
a_2, a_4, a_7	580	a_{12}, a_4, a_{11}	3 5 0	



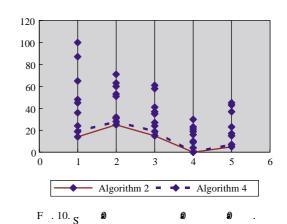


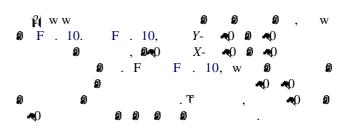
(4) 9 •0 C C a_2 a_1, a_5 40 a_1, a_6 300 a_1, a_9 190 230 100 *a*₁,*a*₁₁@ a_{12}, a_{5} 90 210 a_{12}, a_{6} a_{12}, a_{9} 160 a_{12}, a_{11}





(5) C C 370 a_{12}, a_{7} 50 a_2, a_8, a_7 7,0 230 a_1, a_7 a_2, a_{11}, a_7 a_2, a_7 a_{12}, a_{8}, a_{7} 430 a_1, a_8, a_7 450 a_{12}, a_{11}, a_{7} 170 150 a_1, a_{11}, a_7





6. Conclusion

